



# Year 8 Knowledge Organiser - Statistics

## Objectives

Use and interpret scatter graphs of bivariate data

Recognise correlation

Interpret, analyse and compare the distributions of data sets from univariate empirical distributions through appropriate graphical representation involving discrete, continuous and grouped data

Interpret, analyse and compare the distributions of data sets from univariate empirical distributions through appropriate measures of central tendency (median, mean, mode and modal class) and spread (range, including consideration of outliers)

Apply statistics to describe a population

## Key Vocabulary

Scatter graph - a graph of plotted points that show the relationship between two sets of data

Univariate data - a type of data which consists of observations on only a single characteristic or attribute

Bivariate data - data for two variables (usually two types of related data). E.g: Ice cream sales versus the temperature on that day

Correlation - the measure of the strength of a linear relationship between two sets of data

Discrete data - numerical data that can only take certain values e.g. shoe sizes

Continuous data - numerical data that can take any value within a given range

Central tendency - a single value that attempts to describe a set of data by identifying the central position within that set of data

Discrete data takes certain numerical values - e.g shoe size, goals scored, number of pupils.  
Continuous data can be any value within a range - e.g height, temperature, weight.

## Comparing distributions

Comparisons should include a statement of average and central tendency, as well as a statement about spread and consistency

Here are the number of runs scored last month by Lucy and James in cricket matches

Lucy: 45, 32, 37, 41, 48, 35  
James: 60, 90, 41, 23, 14, 23

Lucy

Mean: 39.6 (1dp), Median: 38 Mode: no mode, Range: 16

James

Mean: 41.8 (1dp), Median: 32, Mode: 23, Range: 76

James has two extreme values that have a big impact on the range

"James is less consistent than Lucy because his scores have a greater range. Lucy performed better on average because her scores have a similar mean and a higher median"



## Find and interpret the range

The range is a measure of spread

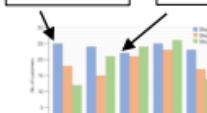
A smaller range means there is less variation in the results - it is more consistent data

A range of 0 means all the data is the same value

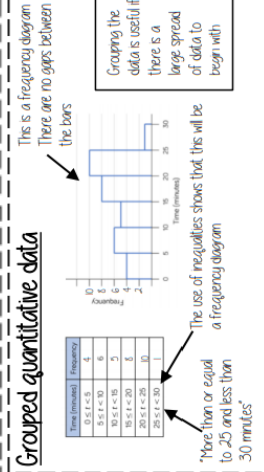
Shop 1 has the smallest range - this indicates it has a more consistent flow of customers each week.

Difference between the biggest and smallest values

Shop 1 highest value    Shop 1 lowest value



Range of customers = 25 - 22 = 3 (Shop 1)



Grouped quantitative data

This is a frequency diagram. There are no gaps between the bars.

Grouping the data is useful if there is a large spread of data to begin with.

The use of unequal class widths in a frequency diagram. "More than or equal to 25 and less than 30 minutes"

## Mean, Median, Mode

### The Mean

A measure of average to find the central tendency... a typical value that represents the data

24, 8, 4, 11, 8

Find the sum of the data (add the values) 55

Divide the overall total by how many pieces of data you have  $55 \div 5$

Mean = 11

### The Median

The value in the center (in the middle) of the data

24, 8, 4, 11, 8

Put the data in order 4, 8, 8, 11, 24

Find the value in the middle 4, 8, 8, 11, 24

Median = 8

NOTE: If there is no single middle value find the mean of the two numbers left

### The Mode (The modal value)

This is the number OR the item that occurs the most (it does not have to be numerical)

24, 8, 4, 11, 8

This can still be easier if the data is ordered first

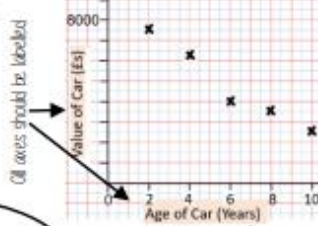
4, 8, 8, 11, 24

Mode = 8

## Draw and interpret a scatter graph

Age of Car (Years)	2	4	6	8	10
Value of Car (£s)	7500	6250	4000	3500	2500

- This data may not be given in size order
- The data forms information pairs for the scatter graph
- Not all data has a relationship

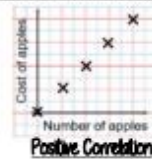


"This scatter graph shows as the age of a car increases the value decreases"

The link between the data can be explained verbally

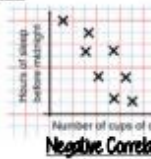
The axes should fill all the values on and be equally spread out

## Linear Correlation



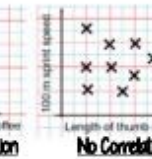
Positive Correlation

As one variable increases so does the other variable



Negative Correlation

As one variable increases the other variable decreases



No Correlation

There is no relationship between the two variables